

UNIVERSAL FILTERED MULTICARRIER TRANSMITTER AND RECEIVER IMPLEMENTATION

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ABSTRACT:

Machine to machine (M2M) and Internet of things (IoT) communication systems are characterized by short and bursty communication cycles. Devices may also have very low duty cycles to increase battery lifetime. In this paper, we have proposed reduced complexity hardware solutions for all two constituent blocks, i.e., inverse fast fourier transform (IFFT) and finite impulse response (FIR) filter blocks of a UFMC transmitter. For IFFT part, a reduced complexity using Radix-2 decimation in a time technique is presented, where more than 30-40% computations can be avoided. It is also shown that how five times less number of multipliers can be used in an FIR filter to simplify filter architecture. Upon comparison, the proposed algorithm based on IFFT and FIR filter is fast than previous algorithm. This all design and experiments were carried out on Xilinx software.

KEYWORDS: *Universal Filtered Multicarrier Transmitter, FFT, FIR Filter, VHDL Simulation*

1. INTRODUCTION

Initial 5G organizations should be in reverse perfect with existing 4G frameworks, i.e., a 5G eNB likewise needs to help 4G UEs. UFMC can be effortlessly coordinated into the uplink (UL) of existing 4G frameworks by essentially supplanting the last advance of the SC-FDMA flag age with a UFMC modulator (see Fig. 1). The collector of the eNB can stay unaltered and will work ordinarily if the UE is completely synchronized to the system. The upside of utilizing UFMC however is that the synchronization prerequisites on UE are extricated. As we will see later, the extra sifting in the UFMC flag age brings about the way that little planning balances don't make any impedence to transmissions from different UEs in neighboring asset pieces. Be that as it may, an extra planning estimation step is required at the eNB. UFMC along these lines empowers the transmission of short bundles without the necessity of experiencing the full connection system. At the point when a UE awakens, it simply needs to synchronize the phone on the DL in both recurrence and time, however as opposed to transmitting an introduction on the physical arbitrary access channel (PRACH) to start the association and permit the eNB to gauge and flag the planning development to the UE, it basically transmits its information utilizing the proposed UFMC transmitter on the same PRACH assets. This could be viewed as a super-PRACH since it works similarly as the traditional PRACH yet in the meantime permits the transmission of more data.

Lessened intricacy design has been proposed which targets both IFFT and sifting segments of UFMC transmitter. They proposed a 64-guide IFFT toward each physical asset square (PRB) set up of 1024-point IFFT and applying sifting in recurrence area. This is the thing that they call as recurrence area age technique for UF-OFDM.

At last, before transmission, the sifted information is changed over once again into time space information by taking IFFT. With this system, they guarantee that if the traditional plan of UFMC transmitter [6] has unpredictability of 150 times that of CP-OFDM at that point applying recurrence area arrangement the multifaceted nature decreases to 120 times that of CP-OFDM.

The FFT (Fast Fourier Transform) and its opposite (IFFT) are the key parts of OFDM (Orthogonal Frequency Division Multiplexing) structures. Starting late, the enthusiasm for long length, quick and low-control FFT has extended in the OFDM applications. There are three sorts of essential setup models for

realizing a FFT processor. One is the single-memory outline. It influences them to process part and one essential memory. Thusly, it includes a little zone. The second is the twofold memory plan, which has two memories. This outline has a higher throughput than the single-memory building since it can store butterfly yields and read butterfly contributions to the interim. The speedy Fourier change expects a basic part in various modernized flag dealing with (DSP) structures, which is a titanic saving over direct estimation of the discrete Fourier change (DFT). Regardless, hardware utilization of the figuring is both computational genuine, to the extent calculating activities, and correspondence raised, the extent that data swapping. For progressing planning of FFT, $O(\log N)$ math tasks are required per test cycle. Rapid constant preparing can be proficient in two diverse ways. In the application particular parallel or pipelined processor approach, the required activities are performed at the clock recurrence proportionate to the example recurrence, and this approach for the most part devours less power.

2. UMFC TRANSMITTER

In this work, we have taken the most streamlined UFMC transmitter plan to date [13] as the pattern and proposed Streamlined techniques to perform calculations engaged with every one of the two building pieces of UFMC transmitter while keeping the adaptability necessities into the thought as far as IFFT estimate, channel length and parameters related to range moving. Consequently, as a matter of first importance, a rearranged IFFT calculation component is proposed which keeps away from excess radix-2 DIT butterflies. Also, lessened intricacy equipment engineering for sifting plan is proposed to keep away from huge number of multipliers engaged with the equipment design. At long last, a system is proposed for the age of extensive number of complex coefficient required for range moving.

This instrument utilizes just memory areas alongside one multiplier and a viper for 10MHz LTE channelization detail.

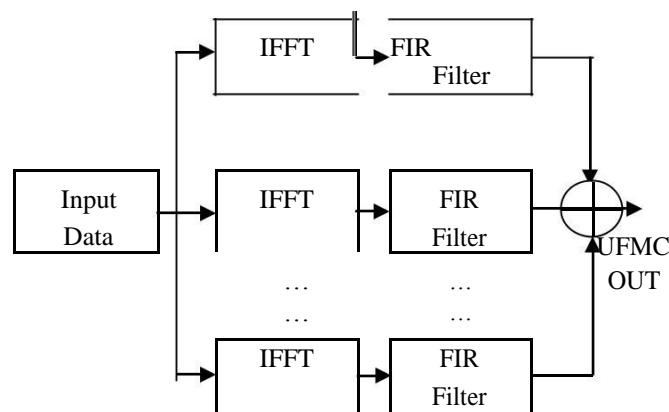


Fig. 1 Block Diagram of UFMC Transmitter

3. FAST FOURIER TRANSFORM

Before going further to inspect on the FFT and IFFT diagram, it respects clear up a bit on the speedy Fourier change and turn around snappy Fourier change activity. The snappy Fourier change (FFT) and inverse speedy Fourier change (IFFT) are gotten from the key limit which is called Discrete Fourier Transform (DFT). Utilizing FFT/IFFT as opposed to DFT is that the figuring of the limit can be made speedier where this is the central criteria for use in the automated flag taking care of. In DFT the count for N-motivation behind the DFT will figure one by one for each point. While for FFT/IFFT, the estimation is done in the meantime and this strategy saves a lot of time. The accompanying is the condition (2.2) showing the DFT and from here the condition is resolved to get FFT/IFFT limit.

$$X(k) = \sum_{n=0}^{N-1} x(n) e^{-j \frac{2\pi k n}{N}} \quad (1)$$

$X(k)$ represent the DFT frequency output at the k -the spectral point where k ranges from 0 to $N-1$. The quantity N represents the number of sample points in the DFT data frame.

The quantity $x(n)$ represents the n th time sample, where n also ranges from 0 to $N-1$. In general equation, $x(n)$ can be real or complex.

The DFT equation can be re-written equation (2) into:

$$X(k) = \sum_{n=0}^{N-1} x(n) W_N^{nk} \quad (2)$$

The quantity W_N^{nk} is defined as in equation

$$W_N^{nk} = e^{-j \frac{2\pi nk}{N}} \quad (3)$$

Here is the place the riddle lies among DFT and FFT/IFFT where the condition limit above is called Twiddle Factor. This part is determined and put in a table remembering the ultimate objective to make the estimation less requesting and can keep running in the meantime. The Twiddle Factor table is depending upon the amount of point utilize. In the midst of the figuring of IFFT, the variable does not to recalculate since it can imply the Twiddle component table in this manner it save time since calculation is done at the same time.

Inverse Fast Fourier Transform

Opposite quick Fourier change (IFFT) is utilized to produce OFDM images. The information bits is speak to as the recurrence space and since IFFT change over sign from recurrence area to time space, it is utilized as a part of transmitter to handle the procedure.

Table 1: Twiddle factor for 8 point inverse fast Fourier transform
 IFFT (N=8)

nk	W	Value
1	W_8^0	1
2	W_8^1	0.7071+j0.7071
3	W_8^2	j
4	W_8^3	-0.7071+j0.7071
5	W_8^4	-1
6	W_8^5	-0.7071-j0.7071
7	W_8^6	-j1
8	W_8^7	0.7071-j0.7071

IFFT is defined as the equation (4) below:

$$x(n) = \frac{1}{N} \sum_{k=0}^{N-1} X(k) W_N^{-jnk} \quad (4)$$

Same FFT calculation can be utilized to discover IFFT capacity with the adjustments in specific properties. The progressions that actualize is by including a scaling component of 1/N and supplanting twiddle variable worth () likewise can be utilized for the opposite quick Fourier change. The following is the table 1 demonstrates the estimations of twiddle component for IFFT

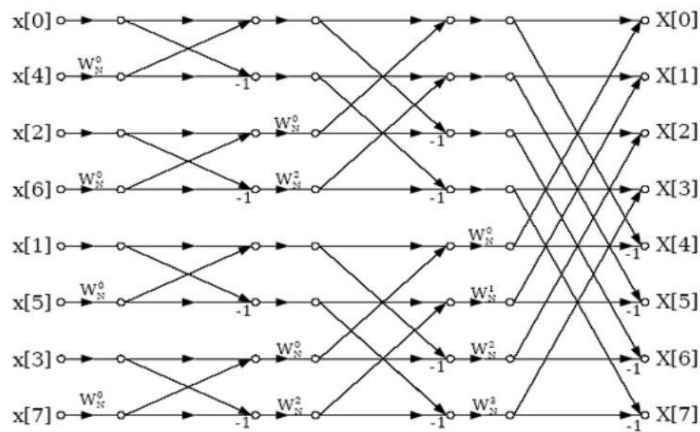


Fig. 2 Radix-2 Decimation in Time Domain FFT Algorithm

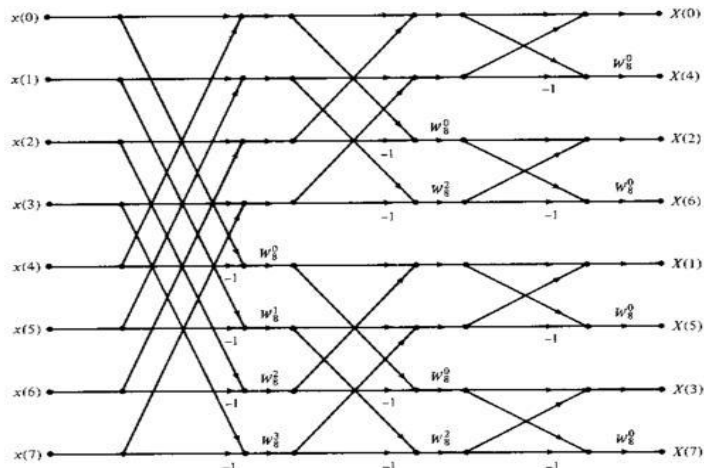


Fig. 3 Radix-2 Decimation in Frequency Domain FFT Algorithm

4. PROPOSED METHOD

DIT butterfly includes an augmentation took after by increases. As appeared in Table I the calculation time of fixed-point augmentation took after by an expansion am not as much as that of expansion took after by an increase. The DIT-based FT butterfly in this manner includes less engendering delay than that of DIF-based RFFT butterfly albeit both these butterflies include the same number of multipliers and adders. In this manner, the decision of DIT calculation to determine FT structure has preference over DIF calculation. In this paper, we exhibit efficient engineering for the DIT radix-2 RFFT calculation.

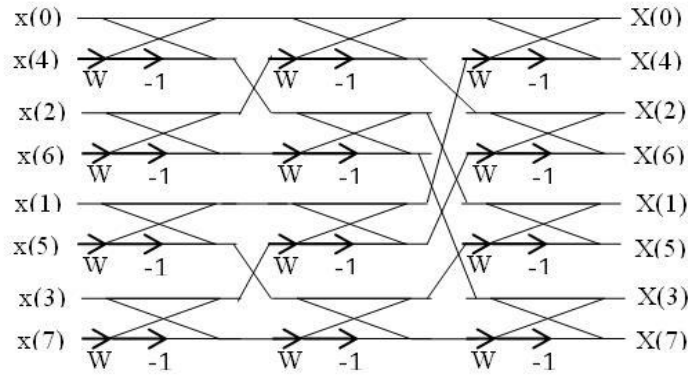


Fig. 4 Proposed 8-point Radix-2 DIT Algorithm

This calculation deteriorates an arrangement of DFT into four little DFTs of 1/4 lengths in a recursive way and their yields are utilized to control a few different yields by which the expense of calculation will be lessened. The input data is disintegrated into four small sequences of $x(4n + i)$ where $n = 0, 1 \dots N/4-1$ and $i = 0, 1, 2, 3$.

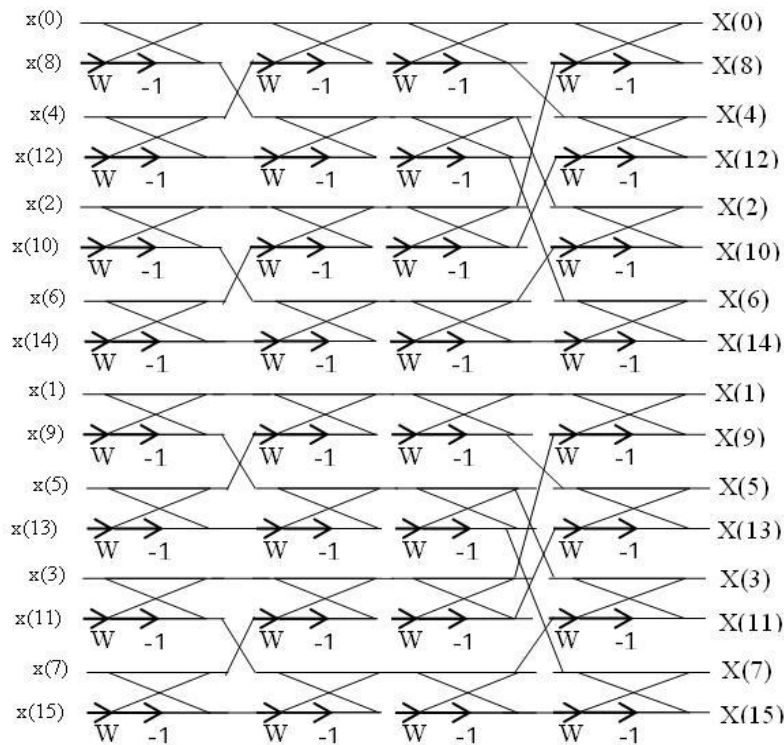


Fig. 5 Proposed 16-point Radix-2 DIT Algorithm

5. FIR FILTER

If the coefficients are close to nothing, it is outstandingly beneficial to recognize through the rich structure of FPGA LUT. While the coefficient is considerable, it will take package of limit resources of FPGA and diminishing the tally speed. At that point, the $N-1$ cycles similarly realize too long LUT time and low enrolling speed. Shunwen Xiao, Yajun Chen, presented a change and headway of the DA figuring going for the issues of the course of action in the coefficient of FIR channel, the limit resource and the finding out speed, which influence the memory to estimate tinier and the task speed speedier to upgrade the computational execution.

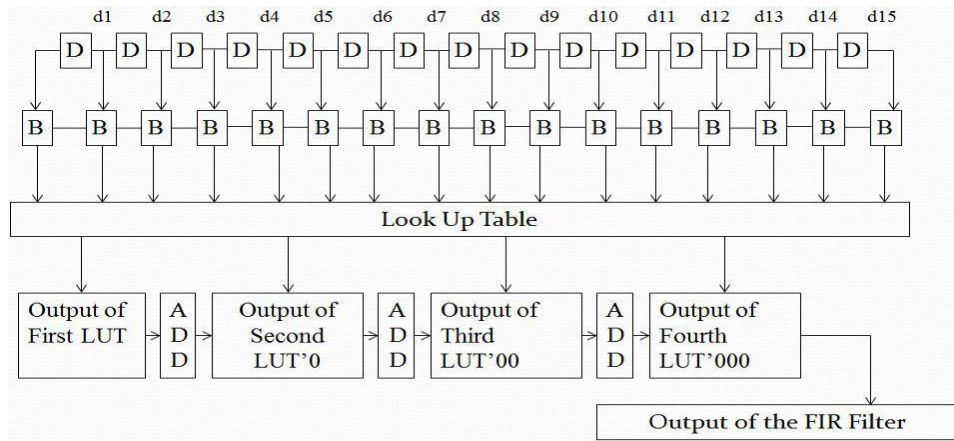


Fig. 6 FIR Filter using Distributive Arithmetic Technique

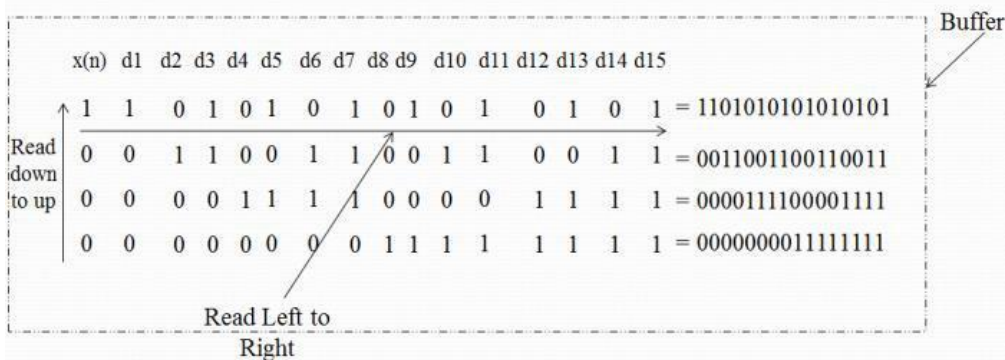
Example:-

Step 1:- $x(n) = 0001$, where $x(n)$ is the input of the FIR Filter

Step 2:- $x(n)$ is passing through all delay flip flop (D-FF),

$d1 = 0001, d2 = 0010, d3 = 0011, d4 = 0100, d5 = 0101, d6 = 0110, d7 = 0111, d8 = 1000, d9 = 1001, d10 = 1010, d11 = 1011, d12 = 1100, d13 = 1101, d14 = 1110, d15 = 1111$

Step 3:- Input of the FIR filter and output of the D-FF passing through Buffer



Step 4:- All buffer passing through LUT then

h0	h1	h2	h3	h4	h5	h6	h7	h8	h9	h10	h11	h12	h13	h14	h15
1	1	0	1	0	1	0	1	0	1	0	1	0	1	0	1
0	0	1	1	0	0	1	1	0	0	1	1	0	0	1	1
0	0	0	0	1	1	1	1	0	0	0	0	1	1	1	1
0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	1

Output of the LUT

$$P1 = h0+h1+h3+h5+h7+h9+h11+h13+h15$$

$$P2 = h2+h3+h6+h7+h10+h11+h14+h15$$

$$P3 = h4+h5+h6+h7+h12+h13+h14+h15$$

$$P4 = h8+h9+h10+h11+h12+h13+h14+h15$$

Suppose

$h0=0000, h1=0001, h2=0010, h3=0011, h4=0100, h5=0101, h6=0110, h7=0111, h8=1000, h9=1001,$
 $h10=1010, h11=1011, h12=1100, h13=1101, h14=1110, h15=1111$ So,

$$P1= 1000000$$

$$P2= 1000100$$

$$P3= 1001110$$

$$P4= 1011100$$

Step 5:- Output of the FIR Filter

$$\begin{aligned} Y_n &= P1 + P2'0 + P3'00 + p4'000 \\ &= 1000000 + 1000100'0 + 1001110'00 + 1011100'000 \\ &= 10011111000 \text{ (1240)} \end{aligned}$$

6. CONCLUSION

In this paper, we have proposed promote rearrangements in all practical building squares of the most disentangled UFMC transmitter plan to date while tending to adaptability. In this work we have recognized the excess calculations in IFFT process and gave a numerical connection to distinguish just the required calculations in view of number of IFFT point and number of subcarriers in a recurrence square. Limited Impulse Response channel assumes a critical part in numerous Digital Signal Processing applications. In this technique, the multiplier less FIR channel is actualized utilizing Distributed Arithmetic which comprises of Look Up Table and after that apportioning is included. This design gives a proficient zone time control usage which includes essentially less dormancy and less territory defer many-sided quality when contrasted and existing structures for FIR Filter.

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